

(Ch-5) Introduction to Euclid's Geometry

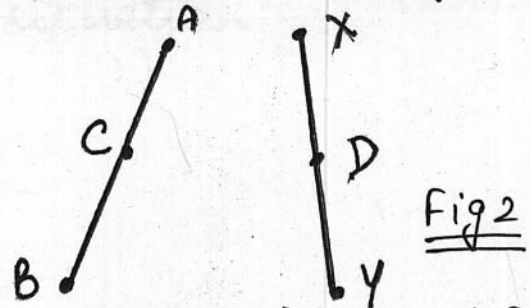
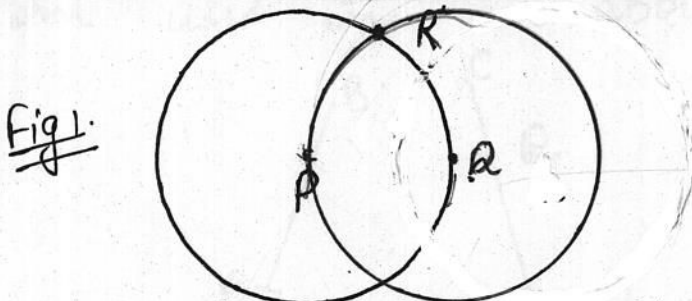
Ques 1. How many line segments can be determined by three collinear points? (Three)

Ques 2. How many line segments can be determined by three given non-collinear points? (Three)

Ques 3. In a triangle PQR, X and Y are the mid points of the sides PR and QR respectively, such that  $PX = RY$ . Show that  $PQ = QR$ .

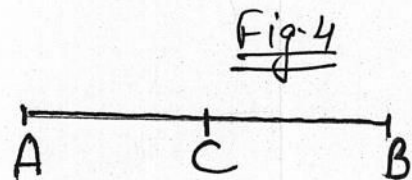
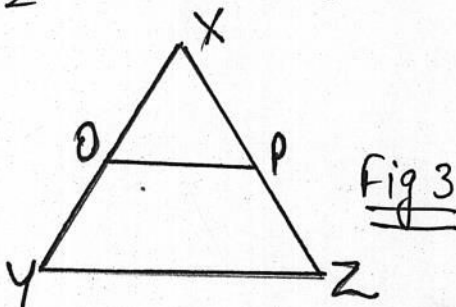
Ques 4. Solve the equation  $x+4 = 10$  and state Euclid's axiom used.

Ques 5. P and Q are centers of the two intersecting circles which intersect at R. Prove that  $PA = QR = PR$ . [Fig 1.]



Ques 6. In fig 2,  $AC = XD$ , C is the mid point of AB and D is the mid point of XY. Using an Euclid's axiom, show that  $AB = XY$ .

Ques 7. In the fig. 3, if  $OX = \frac{1}{2} XY$ ,  $PX = \frac{1}{2} XZ$  and  $OX = PX$ , then using Euclid's axioms, show that  $XY = XZ$ .



Ques 8. In Fig 4, if pt. C lies b/w A and B, then prove that  $AB > AC$ . which axiom is applied?

Ques 9. In fig 5., we have  $AB = BC$  and  $BX = BY$ . Show that  $AX = CY$ . State which axiom you use here. Also give two more axioms other than the axiom used in the above situation.

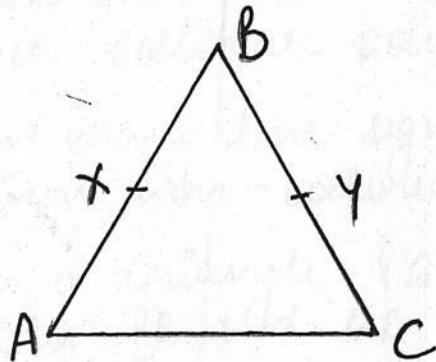


Fig 5.

Ques 10. In fig 6.,  $AB = CD$ , P and Q are points on AB and CD such that  $AP = \frac{1}{3} AB$  and  $CQ = \frac{1}{3} CD$ . Show that  $AP = CQ$ . State which axiom you used. Also give 2 more axioms other than the axiom used in the above situation.

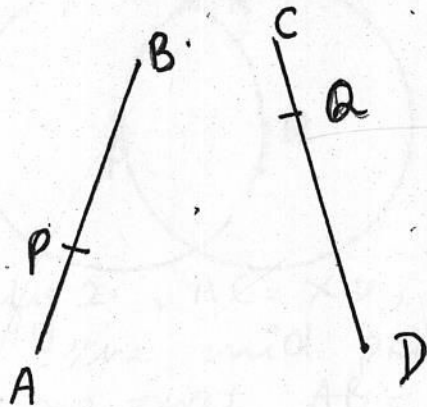


Fig. 6